

Extended Comment on Language Trees and Zipping

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Abstract

This is the extended version of a Comment submitted to Physical Review Letters. I first point out the inappropriateness of publishing a Letter unrelated to physics. Next, I give experimental results showing that the technique used in the Letter is 3 times worse and 17 times slower than a simple baseline. And finally, I review the literature, showing that the ideas of the Letter are not novel. I conclude by suggesting that Physical Review Letters should not publish Letters unrelated to physics.

A recent Letter to Physical Review Letters, “Language Trees and Zipping,” by Benedetto et al. (2002) (available at <http://arXiv.org/abs/cond-mat/0108530>) is flawed in several ways. First of all, the Letter had nothing to do with physics, and instead belonged in a computer science journal, if it deserved to be published at all. Second of all, the actual results are unimpressive: as I will show, the techniques used lead to 3 times as many errors and are 17 times slower than a very simple baseline model applied to a standard, similar problem. Finally, the ideas in the Letter are not even novel: they are well known to those in several areas of computer science.

The actual paper is clearly unrelated to physics, and much more closely related to areas of computer science such as Computational Linguistics and Machine Learning, as can be seen simply by reading the abstract of their paper, which I include here:

In this Letter we present a very general method for extracting information from a generic string of characters, e.g., a text, a DNA sequence, or a time series. Based on data-compression techniques, its key point is the computation of a suitable measure of the remoteness of two bodies of knowledge. We present the implementation of the method to linguistic motivated problems, featuring highly accurate results for language recognition, authorship attribution, and language classification.

The actual technique used applied standard concepts from machine learning, including the Minimum Description Length principle, and actually used a standard compression algorithm (LZW), found in programs like gzip. Thus, the paper is neither an application to physics, nor an application of physics.

Physics journals should not be publishing articles that have nothing to do with physics. Of course, it is completely reasonable to publish applications of physics to other fields (both because this alerts other physicists to the possibility of applying their knowledge and because those in the field of interest may have difficulty understanding the terminology or techniques). It is also completely reasonable to publish the use of non-physics techniques applied to physics in a physics journal. But this paper applies computer science techniques (gzip!) to computer science problems. This seems extremely inappropriate. One might argue that the paper discusses entropy, a concept taken from physics. But the concept was taken from physics 50 years ago, at the dawn of computer science, and there is nothing physics-specific in the use of entropy in this paper; indeed, the use is entirely in the information theory/language modeling/computer science meaning of the word.

Given this argument, I don't think it really matters whether or not the paper is a good paper – the point is, quite simply, that a good paper that has nothing to do with physics does not belong in a physics journal. As it happens, the paper is a bad paper. First of all, there are many many well known techniques in Computer Science for solving problems of this sort, some complex and some very simple. I decided to try the simplest, easiest to implement, most straightforward algorithm I could think of, an algorithm known as Naive Bayes. I implemented both the zipping algorithm and a Naive Bayes algorithm, and applied them to a similar, but standard problem, 20 Newsgroups, the goal of which is to determine the newsgroup from which a posting came. The zipping procedure is not even that much simpler: it takes about 70 lines of perl script to write the code to split the data into test and training, and an additional 50 to use the zipping method, versus an additional 70 to implement Naive Bayes (a difference of 20 lines is trivial.) The zipping method was 17 times slower and had 3 times as many errors as this simplest standard computer science algorithm. See Appendix A for details.

Furthermore, the ideas of this paper are very well known in areas of computer science such as machine learning and statistical natural language processing. I'll cite just a few of the hundreds of papers related to this area. To give an idea how basic this paper is compared to the state of the art, Peskin et al. (1993) showed that similar ideas (Bayesian analysis, which is essentially equivalent to MDL) could be applied to doing topic and speaker identification not on text (which is easy) but on actual speech, a much harder problem. Lowe et al. (1994) showed that they could use these techniques to do language identification from a few seconds of speech. These ideas are now very well known: see for instance, all of Chapter 16 of Manning and Schütze (1999) (a standard introductory textbook) – a chapter devoted to techniques for text classification, the problem area discussed in this paper. The chapter, of course, mentions Naive Bayes classifiers, which are a simple application of the MDL principle – much simpler

in fact than the algorithms in compression programs. Given the simplicity and appropriateness of Naive Bayes, it's no wonder that computer scientists use it instead of much more complex compression programs. See also page 515 where Manning and Schutze briefly discuss Cheeseman *et al.*'s (1988) work on using MDL for clustering – essentially what was done in this paper. The only idea in this paper that is not very well known in the field is the idea of actually using a standard compression tool to do the classification. Still, even this idea dates back (at least) to 1995, when Ken Lang and Rich Caruana tried out the idea for doing newsgroup classification. In the end though, they ended up using Naive Bayes classifiers (Lang, 1995). They didn't bother to publish the compression idea because they thought it was better viewed as an interesting thought than as a serious classification method. Still, the idea of using compress got around a bit: see an introductory tutorial by a well known practitioner in this area, Tom Mitchell (1997, page 11). Admittedly, however, this technique is not that widely known, because computer scientists don't typically try anything that crude – in a couple of hours (or less), we can build from scratch tools that work better than this.

Of course, this explains another reason why physics journals should not be publishing computer science papers: they don't know the field, or the reviewers, and so cannot distinguish the good from the bad, this paper being a case in point.

Why am I so bothered by this paper? Well, a big part of it has to do with the amount of press coverage it has received. The authors sent out a press release that got published in Nature Science Update (see <http://www.nature.com/nsu/020121/020121-2.html>) and Wired Magazine (see <http://www.wired.com/news/technology/0,1282,50192,00.html>) and picked up by people such as the ACM (Association for Computing Machinery) (see <http://www.acm.org/technews/articles/2002-4/0208f.html#item14>), who perhaps should have known better than to trust stuff from a physics journal, but made the mistake of assuming that physicists were competent to review the paper. When reputable publications ignore the existence of computer science, and assume that those without computer science training are well qualified to do research and review publications in the area, it hurts the field by allowing outdated or wrong information to be circulated (in this case, that there is some sort of breakthrough in what was already a well studied area.) It is also insulting.

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A Experimental Results

In this appendix, I briefly describe the experimental results comparing Naive Bayes to zipping. The data set used was the 18828 version, available from <http://www.ai.mit.edu/~jrennie/20Newsgroups>. This version has had duplicates and most headers removed. No additional processing of the data was done. For Naive Bayes, words were simply segmented at white-space boundaries using the perl “split” function.

For Naive Bayes, I computed for each topic the total number of times each “word” occurred in the topic. I used standard plus-1 smoothing, by, for each topic, adding one count for every word that occurred in any training set. The probability assigned to a given word was thus:

$$P(\text{word}|\text{topic}) = \frac{\text{count}(\text{word in topic}) + \begin{cases} 1 & \text{if word occurs in any topic} \\ 0 & \text{otherwise} \end{cases}}{\text{total length of topic} + \text{total number of words that occur in any topic}} \quad (1)$$

The count of a word in a topic counts every occurrence of that word in the topic, counting each word multiple times if it appears multiple times in the topic. The total length of a topic counts every occurrence of every word in the topic, counting multiple times for words that occur multiple times. The total number of words that occur in any topic counts each word that ever appears exactly once, no matter how many times it appears.

The probability of a document of length n given the topic is simply

$$P(\text{document}|\text{topic}) = \prod_{i=1}^n P(\text{word}_i|\text{topic})$$

If a word occurs more than once in the document, its probability is multiplied in more than once. (This estimate neglects the prior on document length.)

We wish to find the most probable topic, given the document. The probability of a topic given a document is found through a simple application of Bayes' law:

$$\begin{aligned} \arg \max_{\text{topic}} P(\text{topic}|\text{document}) &= \arg \max_{\text{topic}} \frac{P(\text{document}|\text{topic}) \times P(\text{topic})}{P(\text{document})} \\ &= \arg \max_{\text{topic}} P(\text{document}|\text{topic}) \times P(\text{topic}) \end{aligned}$$

where we can remove the term $P(\text{document})$ because it is independent of the topic. Furthermore, we assume a uniform prior on topics (which is fine for 20 newsgroups, but may be inappropriate for other tasks.) Thus, we get

$$\begin{aligned} \arg \max_{\text{topic}} P(\text{topic}|\text{document}) &= \arg \max_{\text{topic}} P(\text{document}|\text{topic}) \\ &= \arg \max_{\text{topic}} -\log P(\text{document}|\text{topic}) \\ &= \arg \max_{\text{topic}} -\log \prod_{i=1}^n P(\text{word}_i|\text{topic}) \\ &= \arg \max_{\text{topic}} -\sum_{i=1}^n \log P(\text{word}_i|\text{topic}) \end{aligned}$$

Thus, in practice, the algorithm is extremely simple. For a given document, for each topic, we simply apply Equation 1 to each word in the document; we take the log to avoid underflow; we compute the sum of those values. That gives us a value based on the log of the probability of the topic given the document. We find the topic that has the largest negative log probability (which corresponds to the highest probability.) Note that all of these techniques are well known and standard.

For zipping, I applied the algorithm of Benedetto et al. (2002).

The code to split the data into test and training was approximately 70 lines. The code to implement Naive Bayes was also approximately 70 lines. No

attempt to keep the code small was made. The code to implement the zipping algorithm was about 50 lines. Note that all of these file sizes are trivial. For instance, the code I usually use to do experiments of this nature is over 7000 lines (all written by me.) It took very roughly an hour to write, debug, and verify the correctness of each program. (The zipping program was actually harder to write, despite its smaller size, because it ran so slowly that it was more time consuming to debug and verify correctness, and because some additional effort was made to speed it up, resulting in roughly a factor of two increase in speed.)

I used the same training and test set for both experiments: I used 99% of the data for training, and 1% for testing. This left 192 test documents, which is easily large enough to reliably detect errors of the magnitude seen here. (I used a relatively small test set because the zipping algorithm was so slow.) The Naive Bayes algorithm made 26 mistakes on this test set, a 14% error rate, while zipping made 91 errors, a 47% error rate. The Naive Bayes algorithm required 5 minutes to run, elapsed time, while zipping required one hour and 25 minutes, elapsed time, on the same machine with no other programs in use. This was despite minor attempts to optimize the zipping algorithm and no attempts to optimize the Naive Bayes algorithm. Note that the Naive Bayes algorithm was implemented in perl, which is typically much slower than, say, C or C++. The zipping script was also written in perl, but most of the time was spent in gzip, which is written in C.

Thus, it appears that with approximately equal effort, and using well known techniques, one can perform text categorization over 3 times more accurately and 17 times faster by using Naive Bayes rather than the zipping technique.